## PROBABILITY OF INDEPENDENT EVENTS

Answer all of these questions. Remember to show your working out in all questions.

## MAIN QUESTIONS

1.	P(A) = 0.4, P(B) = 0.5. If independent, find $P(A)$ and B).	2.	P(A) = 0.6, P(B) = 0.3. 0.18 If independent, find P(A and B).
3.	P(A) = 0.7, P(B) = 0.2. 0.14 If independent, find P(A  and  B).	4.	P(A) = 0.9, P(B) = 0.1. 0.09 If independent, find P(A and B).
5.	P(A) = 0.5, P(B) = 0.8. If independent, find $P(A)$ and B).	6.	P(A) = 0.2, P(B) = 0.024 0.3, $P(C) = 0.4$ . If independent, find P(A  and  B  and  C).
7.	P(A) = 0.5, P(B) = 0.125 0.5, $P(C) = 0.5$ . If independent, find P(A  and  B  and  C).	8.	P(A) = 0.1, P(B) = 0.006 0.2, $P(C) = 0.3$ . If independent, find P(A  and  B  and  C).
9.	P(A) = 0.6, P(B) = 0.336 0.7, $P(C) = 0.8$ . If independent, find P(A  and  B  and  C).	10.	P(A) = 0.4, P(B) = 0.4, $P(C) = 0.4$ . If independent, find P(A  and  B  and  C).

- 11. P(A) = 0.3, P(B) = 0.4. | 0.42 12. If independent, find P(neither A nor B).
- 13. P(A) = 0.7, P(B) = 0.2.If independent, find P(neither A nor B). 0.24
- 15. P(A) = 0.1, P(B) = 0.5.If independent, find P(neither A nor B). 0.45
- P(A) = 0.3, P(B) = 0.3.
  If independent, find
  P(at least one of A or
  B).
- 19. P(A) = 0.5, P(B) = 0.5. 0.75 If independent, find P(at least one of A orB).
- 21. P(A) = 1/2, P(B) = 1/2. | 1/4 If independent, find P(A and B).
- P(A) = 3/5, P(B) = 1/3. 1/5
   If independent, find
   P(A and B).
- 25. P(A) = 1/5, P(B) =1/5. If independent, find P(at least one of A or B). 26.

P(A) = 0.5, P(B) = 0.6. Ifindependent, find P(neither A nor B).

P(A) = 0.8, P(B) = 0.9.If independent, find P(neither A nor B). 0.02

14.

16.

18.

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22.

24.

- P(A) = 0.4, P(B) = 0.5. If independent, find P(at least one of A or B).
- P(A) = 0.6, P(B) = 0.2. If independent, find P(at least one of A or B).
- P(A) = 0.8, P(B) = 0.8. If independent, find P(at least one of A or B).
- P(A) = 1/3, P(B) = | 1/121/4. If independent, find P(A and B).
- P(A) = 2/3, P(B) = 1/123/4. If independent, find P(neither A nor B). P(A) = 0.2, P(B) = 0.3, P(C) = 0.4. If independent, find P(at least one of A, B,

or C).

- 27. P(A) = 0.5, P(B) =28. 0.875 0.5, P(C) = 0.5. If independent, find P(at least one of A, B, or C).
- P(A) = 0.6, P(B) =29. 0.976 0.7, P(C) = 0.8. If independent, find P(at least one of A, B, or C).

MASTER QUESTIONS

- P(A) = 0.1, P(B) =0.271 0.1, P(C) = 0.1. If independent, find P(at least one of A, B, or C). 30.
  - P(A) = 0.05, P(B) =0.316 0.1, P(C) = 0.2. If independent, find P(at least one of A, B, or C).

- A fair six-sided die is rolled twice. Find the probability of M1. 1/36 getting a six on both rolls. A bag contains 4 red marbles and 6 blue marbles. A marble is M2. 4/25drawn at random, its colour noted, replaced, and another drawn. Find the probability both are red. The probability of rain on any day is 0.3. Find the probability it M3. 0.09 rains on two consecutive days, assuming independence. A biased coin has P(heads)=2/3. Find the probability of three M4. 8/27 heads in three tosses. A spinner has three equal sectors: red, blue, green. Spun twice, M5. 1/3find the probability of the same colour both times. Machine A breaks down with probability 0.02, machine B M6. 0.0006 with 0.03. Find P(both break down on the same day), assuming independence.
- A student guesses randomly on two multiple-choice questions M7. 1/16 with four options each. Find P(both correct).

M8.	A box has 5 white and 5 black balls. Two balls are drawn with replacement. Find P(they are different colours).	I	1/2
M9.	The probability a bus is not late is 0.9. Find P(not late on two consecutive days), assuming independence.	I	0.81
M10.	A fair coin is tossed until a head appears or three tosses are made. Find P(no head appears).	I	1/8