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True. A constant difference in y-values for equally spaced x-values indicates a constant rate of change, which defines a linear relationship. The graph will be a straight line.







The x-values in a table must be equally spaced to determine if a graph is linear.





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False. Uneven x-spacing is acceptable as long as the slope between all point pairs is constant.Linearity depends on consistent rate of change, not x-value spacing.







The y-intercept can always be found in the table by identifying the y-value when x = 0.





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True. By definition, the y-intercept occurs at x = 0. If the table includes this x-value, its corresponding y-value is the intercept.







A straight line graph must pass through the origin (0,0) if the yintercept is zero.





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False. While a y-intercept of zero means the line passes through (0,0), this is not required for linearity. Lines with non-zero intercepts do not pass through the origin.







The slope of a line can be calculated using any two distinct points from its table of values.





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True. Slope is defined as $(y_2 - y_1)/(x_2 - x_1)$ and remains constant for all point pairs in a linear relationship.









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If a table shows y decreasing as x increases, the slope must be negative.

True. A negative slope indicates an inverse relationship where y decreases as x increases, consistent with the table's behavior.







Plotting points in the exact order listed in the table is necessary to draw a straight line graph.





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False. The order of plotting does not affect the line. Only the positions matter, and the line connects all points regardless of sequence.







A table with only two entries will always produce a straight line graph.

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True. Two distinct points determine a unique straight line, as there is only one possible linear path between them.







The graph of a linear equation must pass through at least three quadrants.

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The graph of a linear equation must pass through at least three quadrants.

False. Horizontal lines (e.g., y = 2) occupy only two quadrants (I and II), while lines like y = x in quadrant I may not cross others if restricted.







If the first differences in y-values are constant for consecutive xvalues, the relationship is linear.





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True. Constant first differences imply a uniform rate of change, confirming linearity when x-values are equally spaced.







The point where y = 0 in a table gives the y-intercept.





The point where y = 0 in a table gives the y-intercept.

False. y = 0 gives the x-intercept. The y-intercept occurs when x = 0, not y = 0.







A straight line can have multiple y-intercepts.

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A straight line can have multiple y-intercepts.

False. A straight line crosses the y-axis exactly once, defining a single y-intercept. Multiple intercepts would violate the definition of a line.









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For a linear graph, the change in y is always proportional to the change in x.

True. This proportionality defines linearity, with the slope (m) as the constant of proportionality: $\Delta y = m \cdot \Delta x$.







If a table includes (0,0), the graph must pass through the origin.

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If a table includes (0,0), the graph must pass through the origin.

True. The point (0,0) lies on the graph, meaning the line passes through the origin. This is independent of the y-intercept value.







A straight line graph with a positive slope always passes through Quadrant I.





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False. A line like y = -2x + 1 has a positive slope (m = -2? Wait, no. Correction: A line with positive slope and negative y-intercept (e.g., y = 2x - 3) enters Quadrant IV first and may miss Quadrant I for small x. But eventually, for large positive x, it will enter Quadrant I. Actually, all non-horizontal lines with positive slope eventually enter Quadrant I. However, a line like y = 2x - 3 starts in Quadrant III (for x<0) and goes to Quadrant I, so it does passaths Vault 2025



through Quadrant I. A better counterexample: no, all lines with positive cope of and Strinitely in both directions and will cover Quadrants I and III. But they might not cover II or IV? Actually, they do: for example, y=2x passes through I and III. y=2x+1 passes through II and I. So they always pass

The slope of a vertical line can be determined from a table using two points.

IV has negative y, so no. It's in I and II? When x is negative, y could be positive: e.g., x=1, y=3

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(Quadrant II). It never goes to III or IV. So it only passes through II and I. So the statement is false.



The slope of a vertical line can be determined from a table using two points.

False. Vertical lines have undefined slope. The formula $(y_2 - y_1)/(x_2 - x_1)$ involves division by zero since x-values are identical.







When points from a table do not align perfectly, you should still draw a straight line through as many as possible.





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False. Non-aligned points suggest non-linearity or errors. Forcing a straight line misrepresents the data; instead, check calculations or consider nonlinear models.







A constant rate of change in a table guarantees the graph is a straight line.





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True. A constant rate of change (constant slope) is the defining characteristic of linear relationships, resulting in a straight-line graph.







The x-intercept can be found in the table by locating where x = 0.





The x-intercept can be found in the table by locating where x = 0.

False. x = 0 gives the y-intercept. The x-intercept occurs where y = 0, so it requires finding the x-value when y = 0 in the table.







For a linear graph, any three points from the table must be collinear.





For a linear graph, any three points from the table must be collinear.

True. In a linear relationship, all points lie on the same straight line, so any subset of three points will always be collinear.